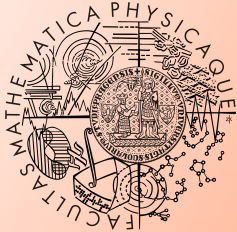


# Results from Long-baseline Neutrino Oscillation Experiments

Workshop on Water Cherenkov Experiments for Precision Physics  
Jagellonian University, Kraków, Poland



**Tomáš Nosek**

Institute of Particle and Nuclear Physics, Charles University

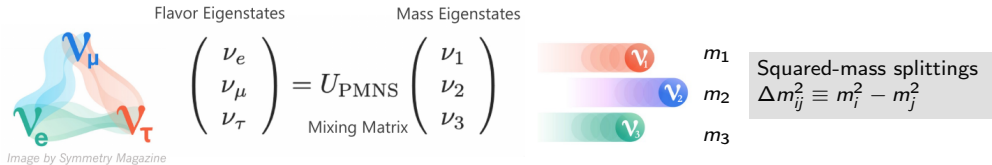
September 18, 2025

# Outline

- I Motivation for long-baseline (LBL) neutrino oscillation experiments
- II Neutrino beams
- III LBL concept
- IV Recent LBL experiments
  - a NOvA results (2024)
  - b T2K results (2023)
  - c T2K+NOvA results (2024 based on 2020)

# Motivation for LBL Experiments

# Neutrino (lepton) mixing in $3\nu$ -paradigm





# Neutrino (lepton) mixing in $3\nu$ -paradigm

Flavor Eigenstates





Image by Symmetry Magazine

Mass Eigenstates



$m_1$   
 $m_2$   
 $m_3$

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = U_{\text{PMNS}} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$

Mixing Matrix

Squared-mass splittings  
 $\Delta m_{ij}^2 \equiv m_i^2 - m_j^2$

$$U_{\text{PMNS}} = \begin{bmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{bmatrix} \begin{bmatrix} c_{13} & 0 & s_{13}e^{-i\delta_{\text{CP}}} \\ 0 & 1 & 0 \\ -s_{13}e^{i\delta_{\text{CP}}} & 0 & c_{13} \end{bmatrix} \begin{bmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

$c_{ij} = \cos \theta_{ij}$   
 $s_{ij} = \sin \theta_{ij}$

Measured from  
the following  
neutrino sources



Atmospheric



Accelerator



Reactor



Solar

Image by Symmetry Magazine

Where is the first oscillation maximum for  $\Delta m_{32}^2$ ?

The diagram illustrates the relationship between the mass difference  $\Delta m_{32}^2$ , the distance/energy ratio  $L/E$ , and the oscillation probability. It features three main expressions connected by double-headed arrows:

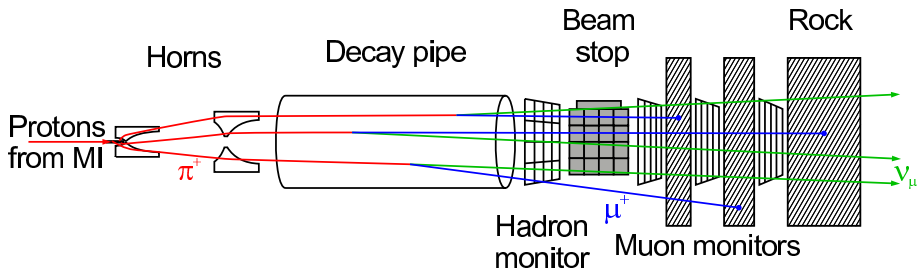
- Top expression:  $\sin^2 \left( \frac{\Delta m^2 \cdot L}{4\hbar c E} \right) \approx 1$
- Middle expression:  $\Delta m_{32}^2 \approx 10^{-3} \text{ eV}^2$
- Bottom expression:  $\frac{L}{E} \approx 10^2 \text{ to } 10^3 \text{ km/GeV}$

Double-headed arrows connect the middle expression to both the top and bottom expressions, indicating that the mass difference determines both the required distance/energy ratio and the oscillation probability.

Hundreds of kilometers away with  $\sim \text{GeV}$  energies

# Neutrino Beams

# Neutrino beam

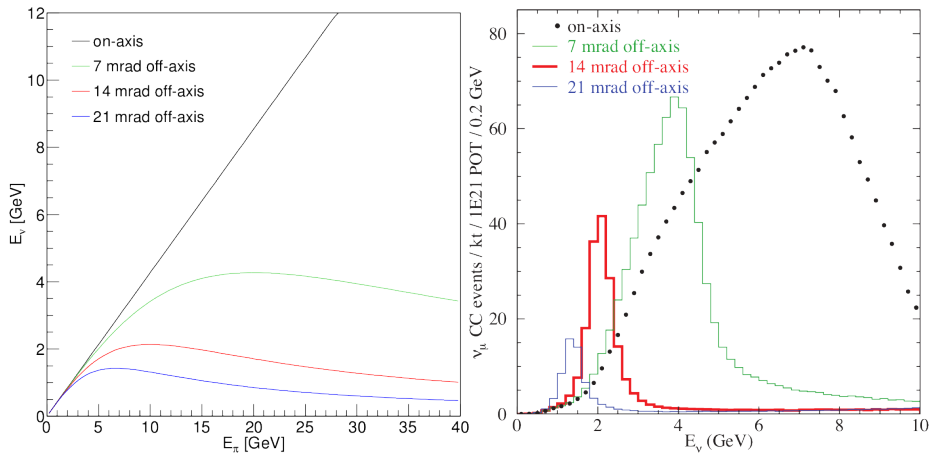


- Neutrinos come from decays of secondary  $\pi$  and  $K$  produced in collisions of high-energy protons with a target (graphite)

$$\pi^\pm, K^\pm \rightarrow \mu^\pm + \nu_\mu / \bar{\nu}_\mu$$

- Switching polarity of the focusing horns to select oppositely charged particles means effectively **switching between  $\nu$  and  $\bar{\nu}$  dominated beams**

# Neutrino beam energy spectrum



- The  $\nu$  source is not point-like, at least from the perspective of the near detectors.
- There is also extra contamination from  $K$  and secondary  $\mu$  decays.

# Why use neutrino beams?

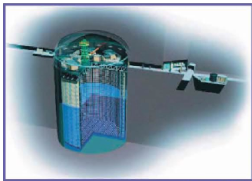
- Dominant direction, not isotropic like natural neutrino sources
- Precise timing helps with backgrounds
- Multi-level monitoring via beam monitors and near detectors
- Can be tuned to the desired neutrino energy
- Beam intensity is a matter of technological advancement, not natural occurrence

CONS: It is sort of expensive

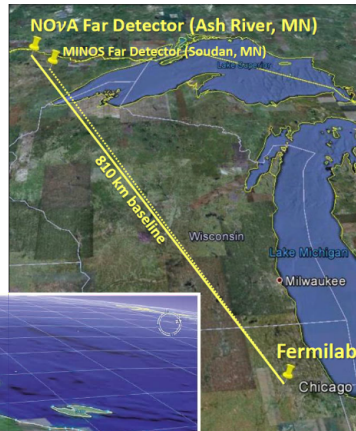
# LBL Concept

# Overview

- Find a lab to provide neutrino beam
- Build a huge detector about hundreds of kilometers away, while a smaller one nearby
- Shoot neutrinos, see what happens



**Super-Kamiokande**  
(ICRR, Univ. Tokyo)

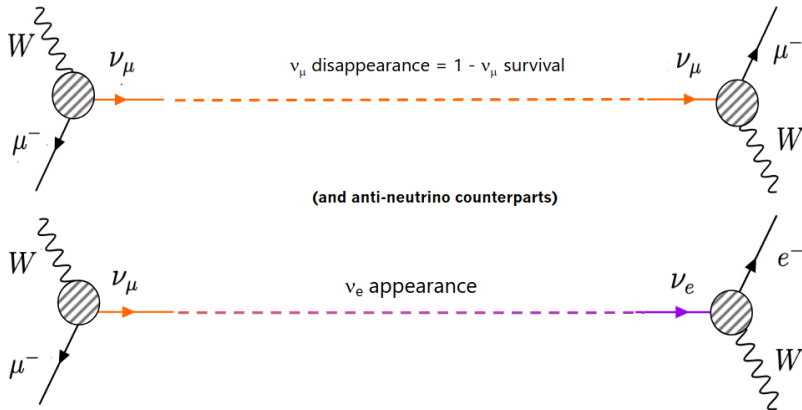
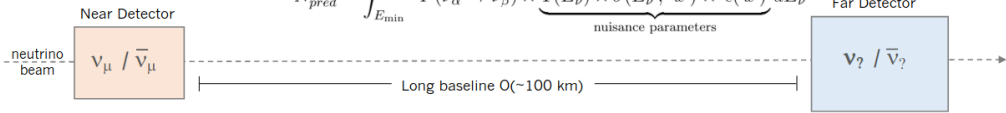


**J-PARC Main Ring**  
(KEK-JAEA, Tokai)

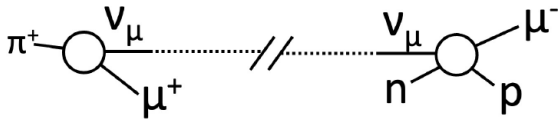




# Measurement concept



# Disappearance oscillation probabilities



Leading order  $\sin^2 2\theta_{23}$  and  $\Delta m_{32}^2$

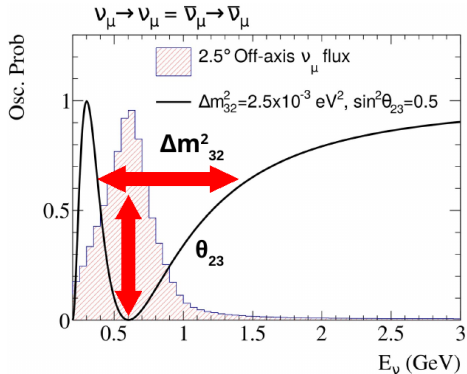
$$P(\nu_\mu \rightarrow \nu_\mu) \approx 1 - \sin^2 2\theta_{23} \cdot \sin^2 \left( \frac{\Delta m_{32}^2 L}{4E} \right)$$

$\sin^2 2\theta_{23}$  :

mixing angles rule the oscillation amplitude

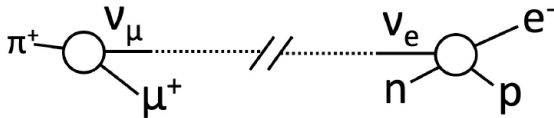
$\Delta m_{32}^2$  :

squared mass-splittings rule the oscillation frequency



Max  $\sin^2 2\theta_{23} = 1$  corresponds to max mixing of  $\theta_{23} = 45^\circ$

# Appearance oscillation probabilities



Leading order  $\sin^2 \theta_{23}, \sin^2 2\theta_{13}$  and  $\Delta m_{32}^2$  in vacuum

$$P(\nu_\mu \rightarrow \nu_e) \approx \sin^2 \theta_{23} \cdot \sin^2 2\theta_{13} \cdot \sin^2 \left( \frac{\Delta m_{32}^2 L}{4E} \right)$$

+  $\delta_{CP}$  dependent terms violating CP

+  $\delta_{CP}$  dependent terms conserving CP

+ other terms

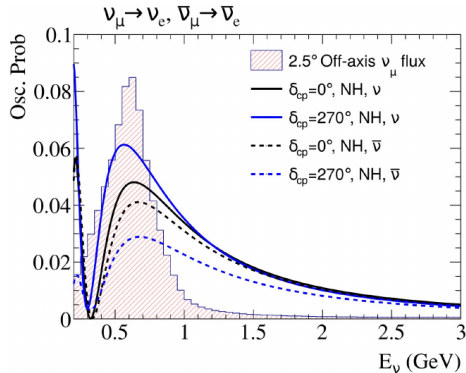
$\delta_{CP} = \pi/2$  : less  $\nu_\mu \rightarrow \nu_e$ , more  $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$

$\delta_{CP} = -\pi/2$  : more  $\nu_\mu \rightarrow \nu_e$ , less  $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$

## Matter effects

$\nu_e$  coherent forward scattering on pseudo-free electrons of matter

Modify  $\nu_\mu \rightarrow \nu_e$ , depends on the **sign of  $\Delta m_{32}^2$**  (mass ordering)

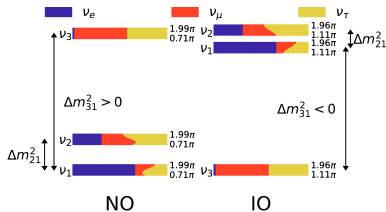


LBL experiments with  $L/E \sim 10^{2-3}$  km/GeV are sensitive to

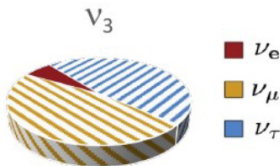
$$\Delta m_{32}^2, \text{ NO/IO}$$

What is the ordering of the  $\nu$  masses?

Normal (NO) or inverted (IO)?



$$\theta_{23}$$



Is 23 mixing maximal?  $\mu\tau$  symmetry?

$$\text{Is } \theta_{23} \leq 45^\circ?$$

$$\delta_{CP}, J_{CP}$$

Is there significant CP violation in the lepton sector?

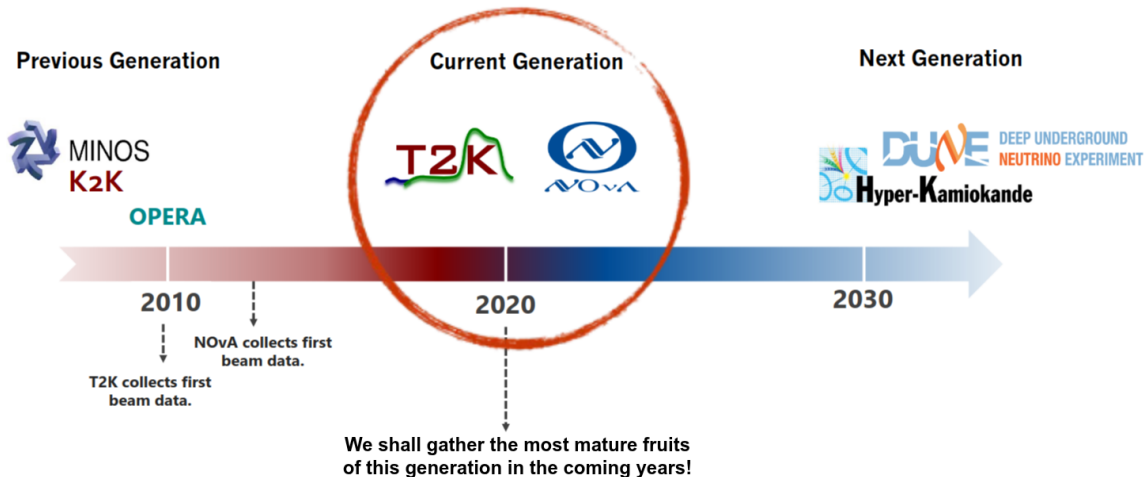


$$J_{CP} = s_{13}c_{13}^2s_{12}c_{12}s_{23}c_{23}\sin\delta_{CP}$$

... also  $\theta_{13}$

# Recent LBL experiments

# LBL generations



# T2K

Japan

Kamioka Tokai

295 km

UPPER SK

Near Detectors

J-PARC

1,700 m below sea level

Neutrino Beam

295 km



USA

Ash River, MN

MN

WI

IL

Fermilab

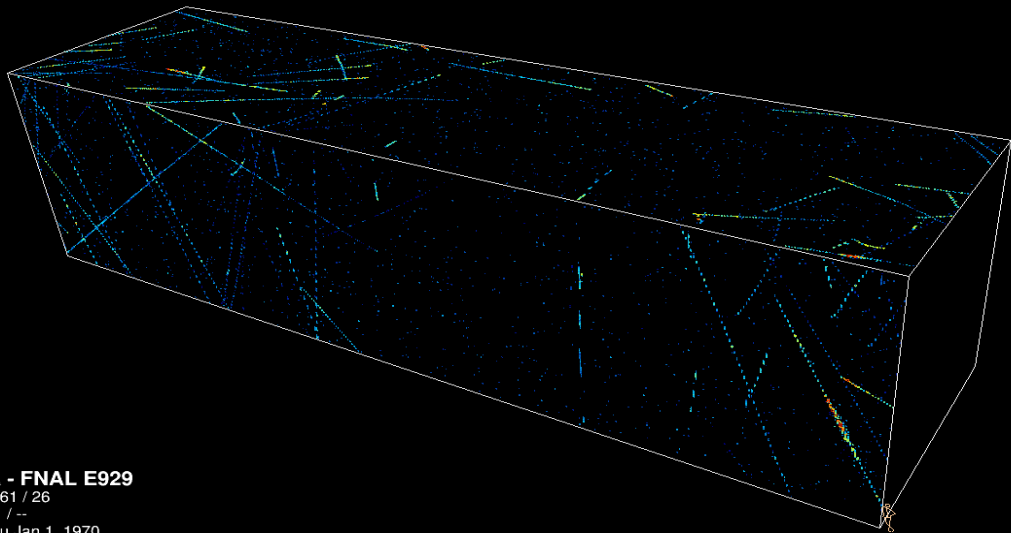
810 km

Fermilab

Far Detector

Near Detector

810 km



**NOvA - FNAL E929**

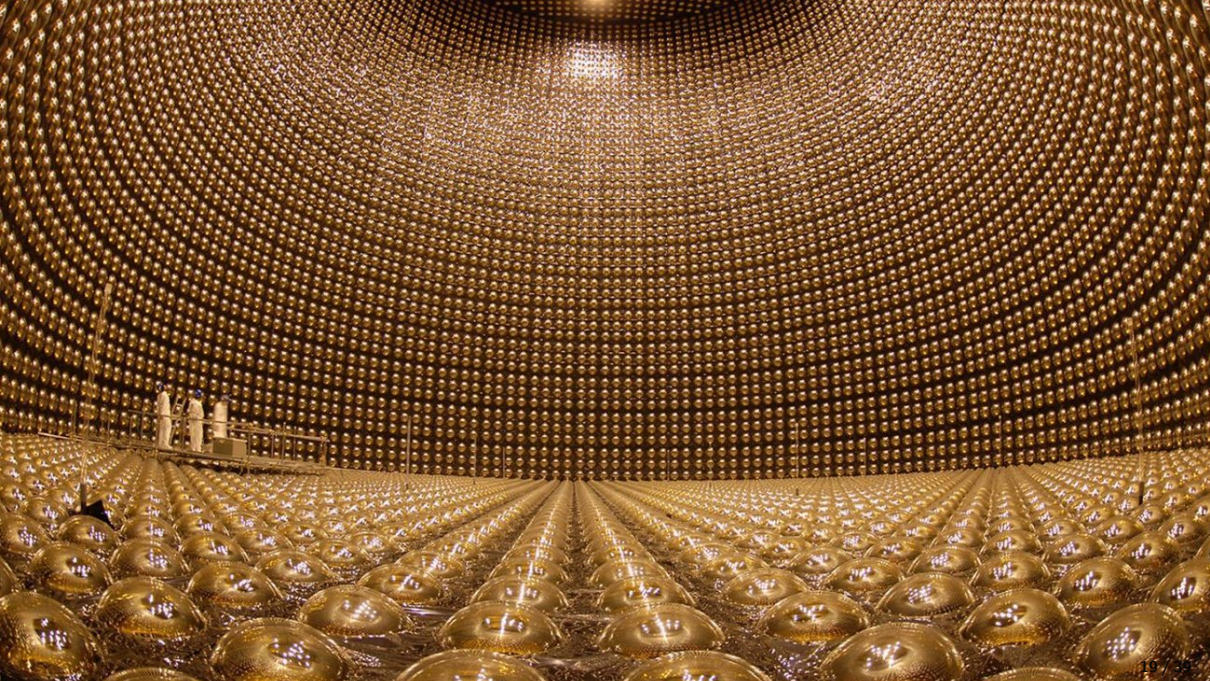
Run: 161 / 26

Event: 1 / --

UTC Thu Jan 1, 1970

00:00:0.005000000





# Neutrino energies

- Both experiments have their detectors located slightly off-axis ( $2.5^\circ$  T2K,  $0.84^\circ$  NOvA) to get narrow and highly pure  $\nu_\mu/\bar{\nu}_\mu$  spectra

NOvA peak at  $\sim 2$  GeV

T2K peak at  $\sim 0.6$  GeV

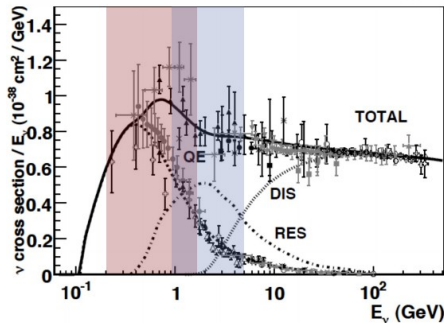
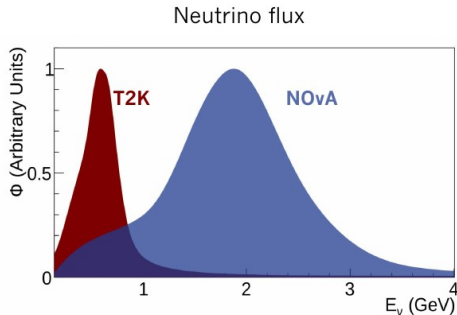
- Different  $\nu$  energy corresponds to different phenomenological types of interactions

NOvA:

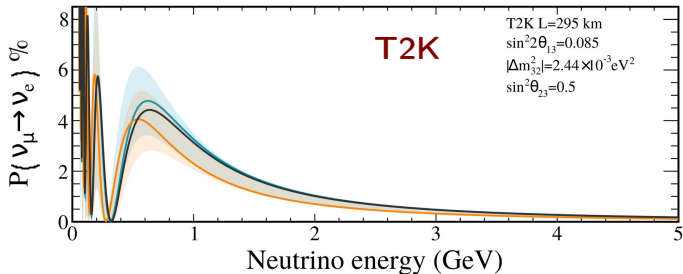
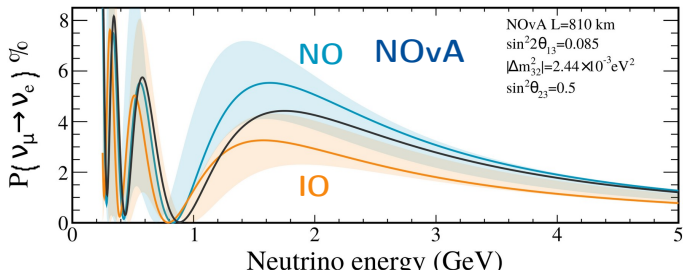
transition region, mixture of QE, 2p2h, RES  $\pi$  production and DIS

T2K:

mostly QE with 2p2h and RES, DIS in tail



# Baselines



**NOvA: 810 km**

**T2K: 295 km**

## MATTER EFFECTS

- Higher energy and longer baseline enhances the **mass ordering dependent matter effects**, which are degenerate with CP violation effects
- Lower energy and shorter baseline reduces the matter effects to get **less degenerate CPV values of  $\delta_{CP}$**

The impact on  $P(\nu_\mu \rightarrow \nu_e)$  and  $P(\bar{\nu}_\mu \rightarrow \bar{\nu}_e)$  differs for each experiment



# Lifting degeneracies

- Different **energies** and **baselines** give different oscillation probabilities and parameter sensitivity

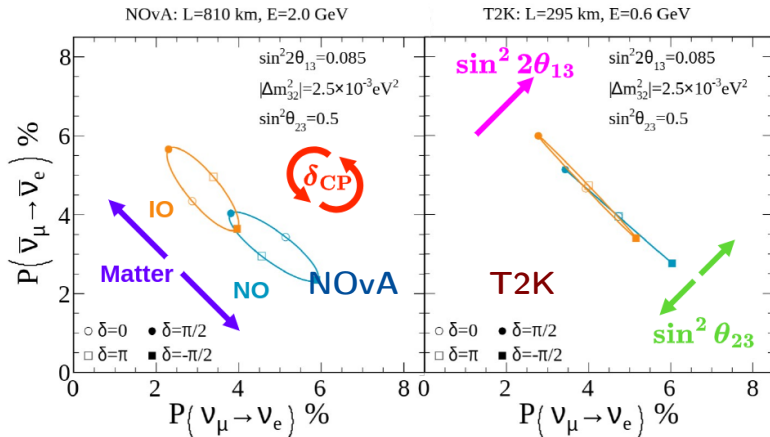
## NOvA:

- Better mass ordering sensitivity
- Degenerate for around  $\delta_{CP} = \pi/2$  and  $-\pi/2$  (CPV)

## T2K:

- Better  $\delta_{CP}$  sensitivity
- Degenerate for around  $\delta_{CP} = 0$  and  $\pi$  (no-CPV)

- Joint analysis probes both spaces lifting degeneracies of individual experiments



NO:  $P(\nu_\mu \rightarrow \nu_e) \uparrow$   $P(\bar{\nu}_\mu \rightarrow \bar{\nu}_e) \downarrow$

IO:  $P(\nu_\mu \rightarrow \nu_e) \downarrow$   $P(\bar{\nu}_\mu \rightarrow \bar{\nu}_e) \uparrow$

# Reactor constraints

Recall the oscillation probabilities:



Recent 2D constraints from Daya Bay PRL 130 161802  
also from RENO PRD 111 112006

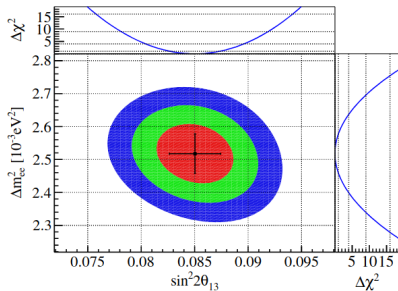
$$\Delta m_{ee}^2 \simeq \cos^2 \theta_{12} |\Delta m_{31}^2| + \sin^2 \theta_{12} |\Delta m_{32}^2|$$

Some LBL  
 $\theta_{23}$  vs.  $\theta_{13}$  ambiguity

$$P(\nu_\mu \rightarrow \nu_e) \propto \sin^2 \theta_{23} \sin^2 2\theta_{13}$$

$$1 - P(\bar{\nu}_e \rightarrow \bar{\nu}_e) \propto \sin^2 \theta_{13}$$

Simple  $\theta_{13}$  dependence



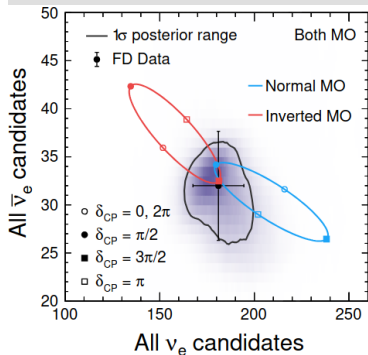


(2024)



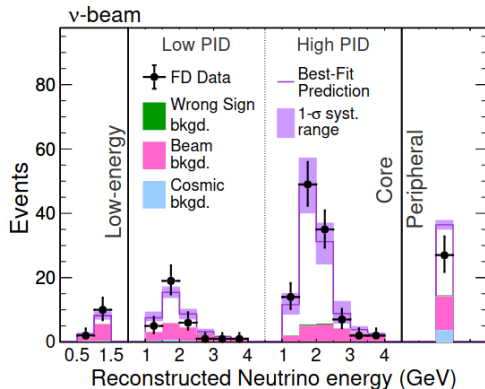
### Notables for 2024 (since 2020)

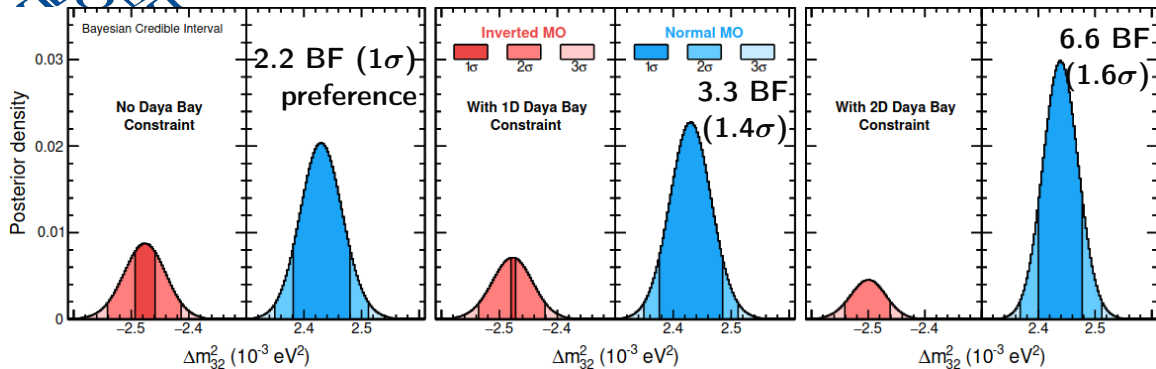
- Recently out arXiv:2509.04361
- 26.6e20 POT  $\nu$  (+96%), 12.5e20 POT  $\bar{\nu}$
- New low energy  $\nu_e$ -like sample
- CNN-based cosmic rejection



### Basic analysis strategy

- Exploit similarity of the Far and Near detectors through F/N technique to cancel out interactions and flux systematic uncertainties
- Near detector data-driven prediction of signal and  $\nu_e$  beam bkg.
- Energy reconstructed from  $\mu$  path, otherwise calorimetrically,  $\nu_\mu$  samples of different  $E_{had}$  fractions
- CNN (Neural Network) for identification,  $\nu_e$  samples of low and high PID
- Peripheral  $\nu_e$  sample of not-fully-contained  $\nu_e$ -like events

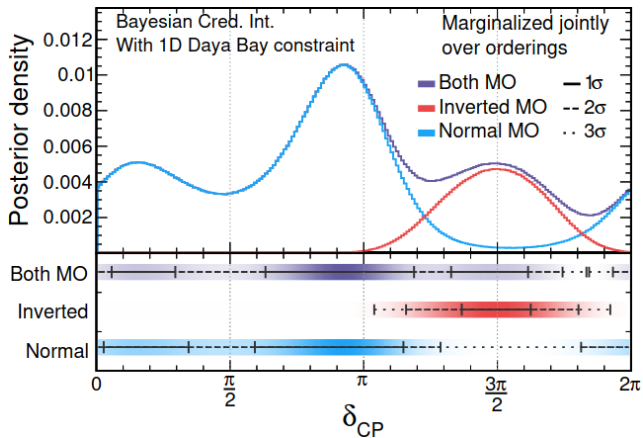




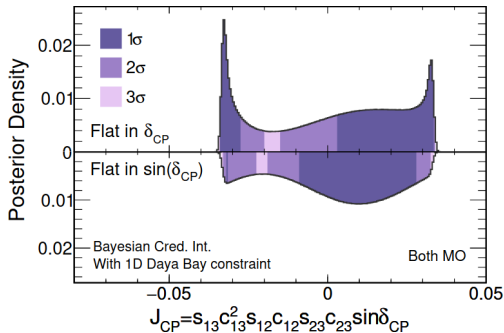
Notable preference for NO, more pronounced with Daya Bay (reactor) constraints on  $\sin^2 2\theta_{13}$  (1D constraint) and  $\sin^2 2\theta_{13} + \Delta m_{ee}^2$  (2D constraint) from PRL 130 161802

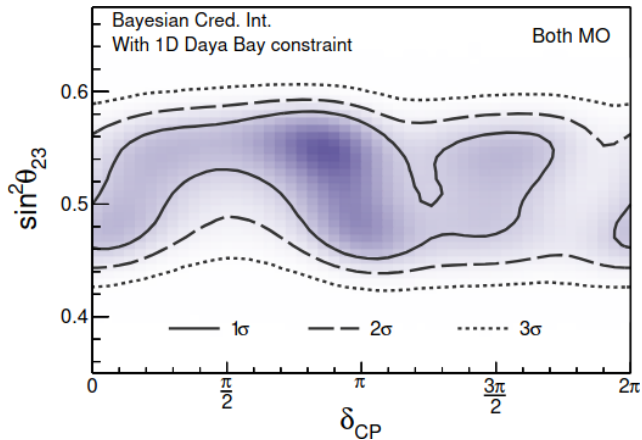
BF = Bayes Factor



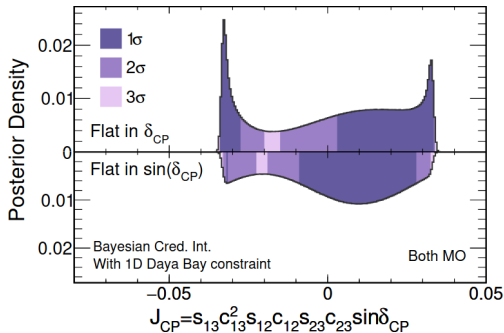


- The sensitivity to  $J_{CP}$  ( $\sin \delta_{CP}$ ) is highly correlated with other oscillation parameters (namely  $\theta_{23}$ )
- Degenerate effects of matter and CPV  $\sin \delta_{CP}$
- Weak constraints on  $\delta_{CP}$





- The sensitivity to  $J_{CP}$  ( $\sin \delta_{CP}$ ) is highly correlated with other oscillation parameters (namely  $\theta_{23}$ )
- Degenerate effects of matter and CPV  $\sin \delta_{CP}$
- Weak constraints on  $\delta_{CP}$



**T2K** (2023)

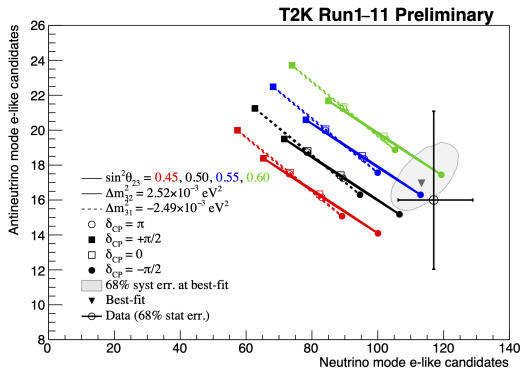


## Basic analysis strategy

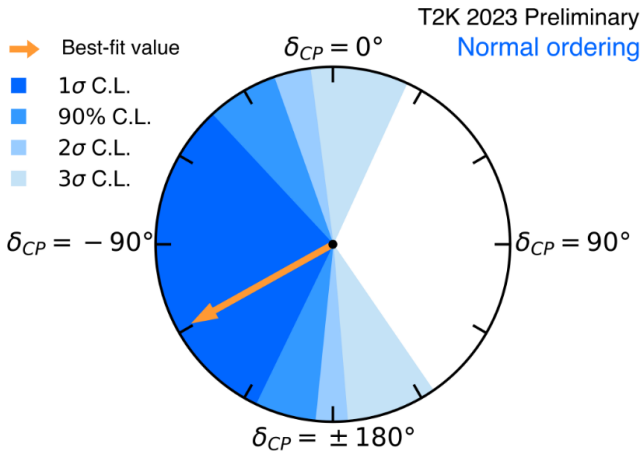
- CCQE and CC1 $\pi^+$   $\nu$ -like SK samples, energy from kinematics
- Identification based on Cherenkov rings shape e-like vs.  $\mu$ -like
- Numerous ND280  $\nu_\mu$  and  $\bar{\nu}_\mu$  CC0 $\pi$  and bkg. samples by FS particle multiplicity to constrain interaction models (NEUT generator)
- Consequential (ND280 $\rightarrow$ SK) or simultaneous (ND280+SK) fitting

## Notable updates for 2023

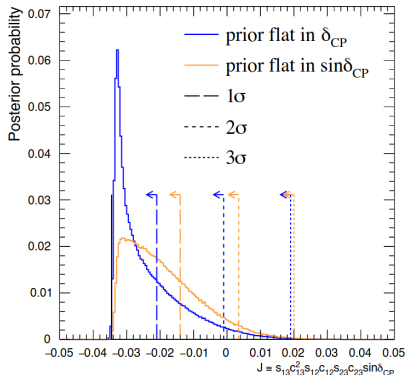
- Minor update on 2022 analysis version with extra SK  $\mu$ -like sample recently on arXiv:2506.05889
- 21.4e20 POT  $\nu$  (+9% on EPJC 83 782), 16.3e20 POT  $\bar{\nu}$
- Improved selection of Michel es (needed after Gd loading, applied to all data)
- Improved SK detector systematics model further reducing the uncertainties

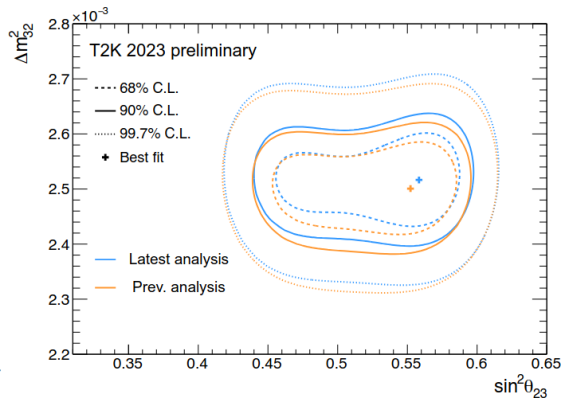
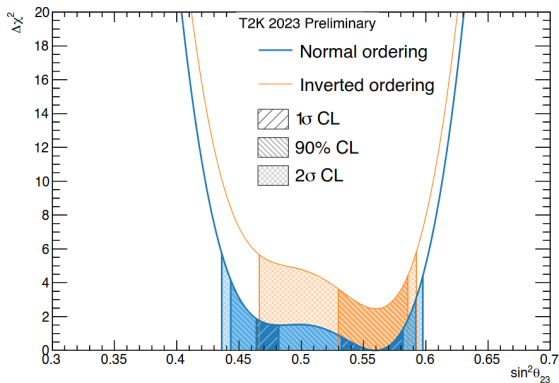


beam	e-like	$\mu$ -like
$\nu$	1Ring-e+0Me	1Ring- $\mu$ +0-1Me
	1Ring-e+1Me	Multi-Ring- $\mu$ +1-2Me
$\bar{\nu}$	1Ring-e+0Me	1Ring- $\mu$ +0-1Me



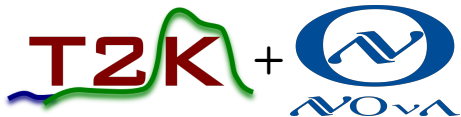
- The only (single-)experiment capable of constructing the 3 $\sigma$  CIs on  $\delta_{CP}$
- **CP-conserving values excluded at >90% CL** (not confirmed in 2 of 18 studies of fake data sets)
- Best-fit  $\delta_{CP}$  very close to CPV maximal  $-\pi/2$





Small preference for upper octant of  $\theta_{23}$ , minor improvements in precision of  $\Delta m_{32}^2$ , insignificant NO preference, overall consistent with previous analysi(e)s (for 10 years already)

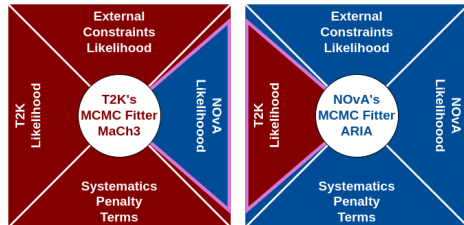
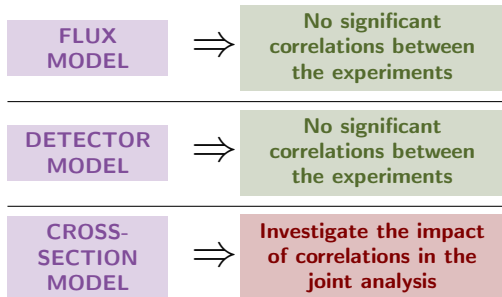
T2K + NOvA (2024 based on 2020)



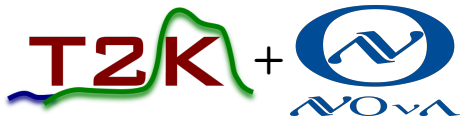
- Full detailed likelihood functions for both experiments
- Full detailed energy reconstruction, detector effects, etc.
- Consistent statistical inference methods
- In-depth review of exp. analysis methods
- CON: Correlations in “non-transferable” interaction models

### Notables from the joint analysis

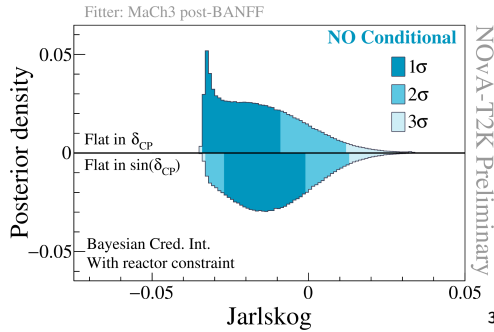
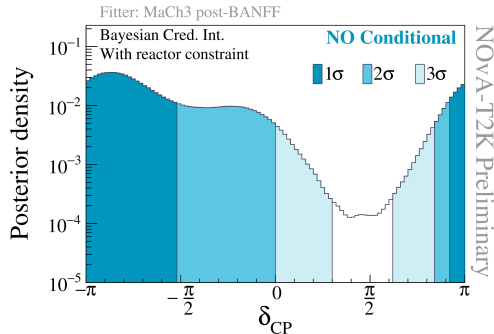
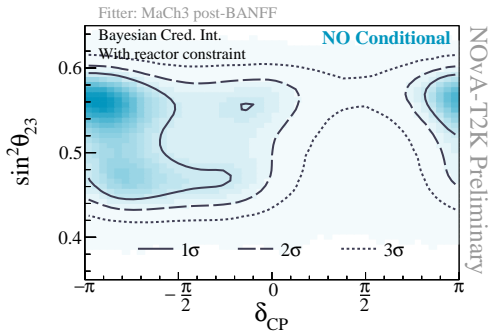
- Based on 2020 analyses *EPJC* 83 782 (T2K) and *PRD* 106 032004 (NOvA)
- Combined at the level of likelihoods
- Still dominated by statistics
- Minimal correct analysis as correlations do not matter
- **The data from both experiments is described well**

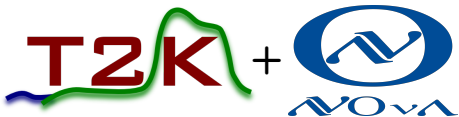




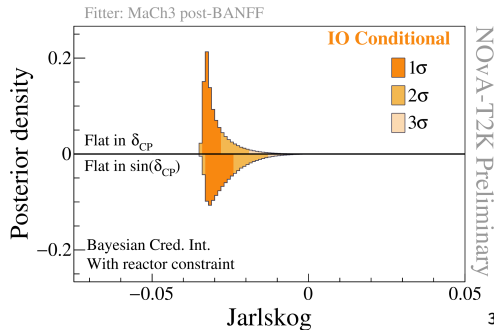
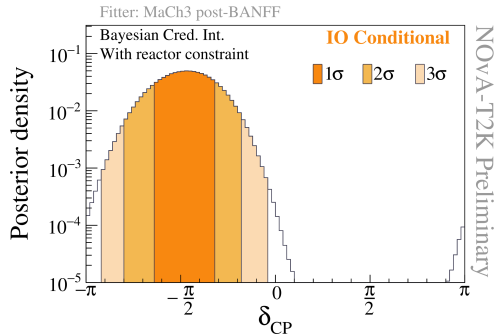
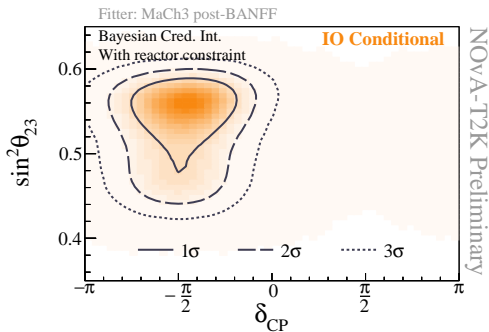


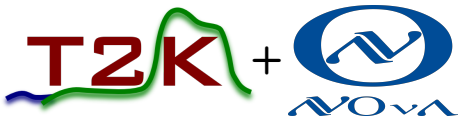
- Neither ordering has a preference for  $\delta_{CP}$  values around  $+\pi/2$  (outside  $3\sigma$  CI)
- Normal ordering allows for a broad range of  $\delta_{CP}$
- If inverted ordering, CPC  $\delta_{CP}$  values outside  $3\sigma$  CIs
- Robust under change of  $\delta_{CP}$  prior





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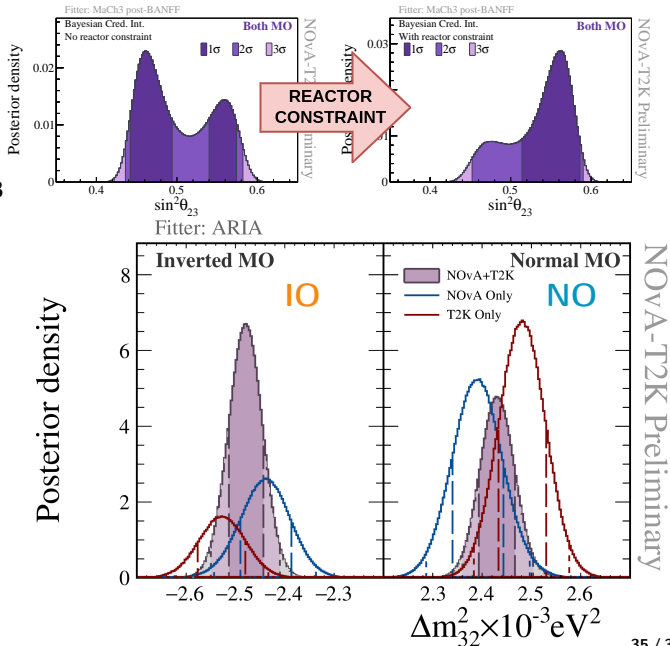


- Modest preference for  $\sin^2 \theta_{23} > 0.5$ , Bayes factor 3.6
- Very weak preference for IO, Bayes factor 1.3
- Posterior probability 57% for  $\Delta m_{32}^2 < 0$
- Posterior probability 43% for  $\Delta m_{32}^2 > 0$
- Consistent with other measurements
- Smallest uncertainty in  $\Delta m_{32}^2 < 2\%$  (newest NOvA 2024 results competitive)

Marginalizing over  $\Delta m_{32}^2 \lesseqgtr 0$  separately leads to **NO/IO** “conditional” credible regions

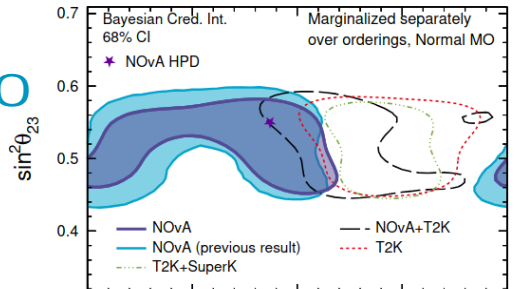
$$\Delta m_{32}^2|_{\text{IO}} = -2.48^{+0.03}_{-0.04} \times 10^{-3} \text{ eV}^2$$

$$\Delta m_{32}^2|_{\text{NO}} = 2.43^{+0.04}_{-0.03} \times 10^{-3} \text{ eV}^2$$

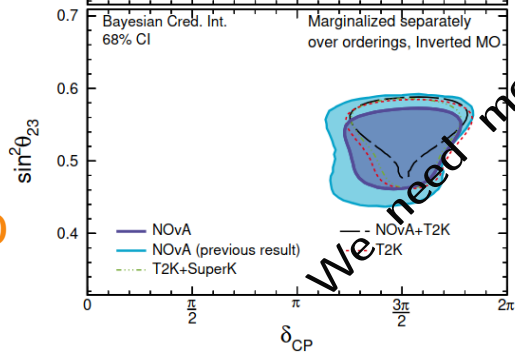
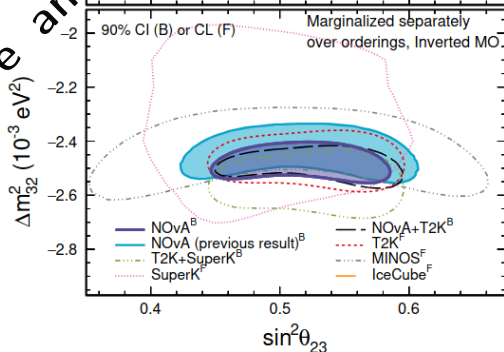
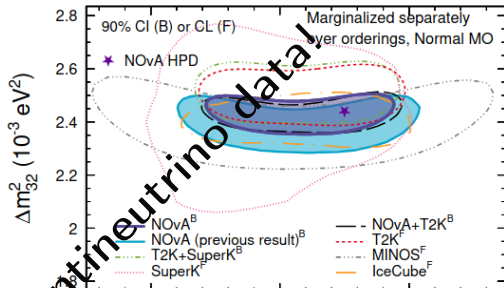


# Pre-Conclusion

NO



IO

 $\Delta m_{32}^2 (10^{-3} \text{ eV}^2)$  $\Delta m_{32}^2 (10^{-3} \text{ eV}^2)$ 

We need more antineutrino data!

# Conclusions

# Conclusions

- LBL neutrino oscillation experiments are sensitive to CP violation, mass ordering and other important aspects of neutrino physics
  - CP-conserving values of  $\delta_{CP}$  outside 90% CL (T2K)
  - Notable synergy with reactor exps. on MO (NOvA)
  - If IO, CP-conserving  $\delta_{CP}$  values outside  $3\sigma$  CL (T2K+NOvA)
- Current LBL measurements of NOvA, T2K, and NOvA+T2K provide leading constraints on several neutrino oscillation parameters
- T2K and NOvA precision era has just begun
- Future next-generation “discovery machines” of Hyper-Kamiokande and DUNE will rely on T2K and NOvA experience in LBL programs to provide high-precision neutrino measurements and answer critical questions of neutrino physics

BACKUP

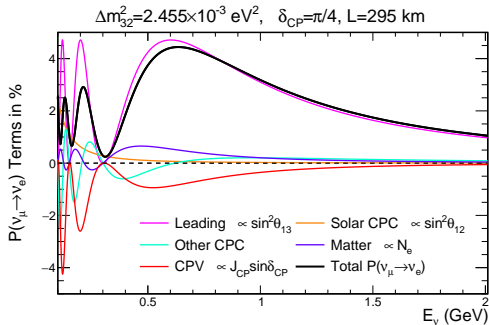


# The “my-precious” channel $\nu_\mu \rightarrow \nu_e$

$$P(\nu_\mu \rightarrow \nu_e; L, E, A) \approx$$

$4c_{13}^2 s_{13}^2 s_{23}^2 \sin^2 \Delta_{31}$	dominant term
$+ 8c_{13}^2 s_{12} s_{13} s_{23} (c_{12} c_{23} \cos \delta_{\text{CP}} - s_{12} s_{13} s_{23}) \cos \Delta_{32} \sin \Delta_{31} \sin \Delta_{21}$	other CPC
$- 8c_{13}^2 c_{12} c_{23} s_{12} s_{13} s_{23} \sin \delta_{\text{CP}} \sin \Delta_{32} \sin \Delta_{31} \sin \Delta_{21}$	CPV
$+ 4s_{12}^2 c_{13}^2 (c_{12}^2 c_{23}^2 + s_{12}^2 s_{23}^2 s_{13}^2 - 2c_{12} c_{23} s_{12} s_{23} s_{13} \cos \delta_{\text{CP}}) \sin^2 \Delta_{21}$	solar CPC
$- 8c_{13}^2 s_{13}^2 s_{23}^2 \frac{AL}{4E_\nu} (1 - 2s_{13}^2) \cos \Delta_{32} \sin \Delta_{31} + 8c_{13}^2 s_{13}^2 s_{23}^2 \frac{A}{\Delta m_{31}^2} (1 - 2s_{13}^2) \sin^2 \Delta_{31}$	matter

$s_{ij} \equiv \sin \theta_{ij}, c_{ij} \equiv \cos \theta_{ij} \quad \Delta_{ij} \equiv \frac{\Delta m_{ij}^2 L}{4E_\nu} \quad A(E_\nu) \equiv 2\sqrt{2}G_F N_e E_\nu, \quad \bar{\nu} : A \rightarrow -A, \delta_{\text{CP}} \rightarrow -\delta_{\text{CP}}$



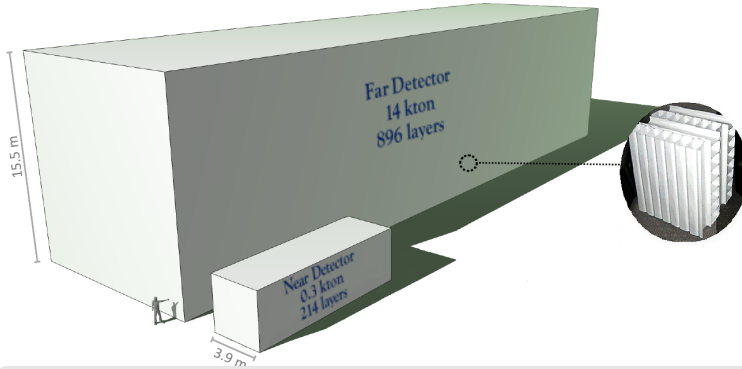
Long-baseline acc.

Atmospheric

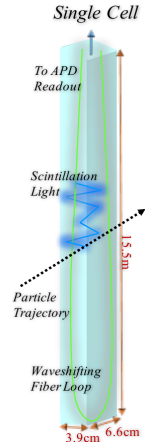
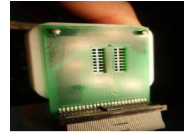
Crucial  $\sin^2 \theta_{13}$  from reactor  $\bar{\nu}_e \rightarrow \bar{\nu}_e$  experiments



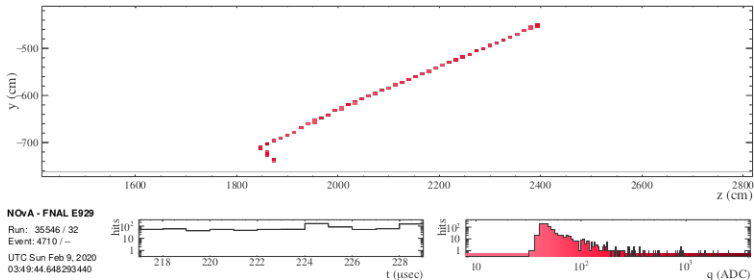
# NOvA detectors



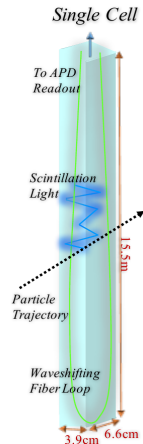
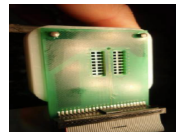
- Two functionally similar detectors 810 km apart – **Near (ND)** and **Far (FD)**
- FD on the surface, ND about 100 m underground
- Consist of extruded plastic cells with alternating vertical and horizontal orientation for 3D reconstruction of neutrino interactions
- Filled with liquid scintillator, tracking calorimeter with 65% active mass (FD 14 kton, ND 0.3 kton)
- Energy estimation from  $\mu$  range, EM and hadronic shower calorimetry



# NOvA detectors



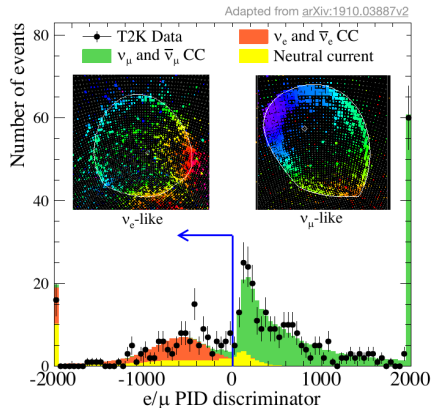
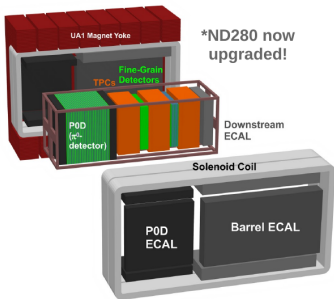
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# T2K detectors

## ND280

- TPC tracker with excellent PID
- Plastic scintillator target (C) + water layers (O)
- **MAGNETIZED** to distinguish  $\nu_\mu$  and  $\bar{\nu}_\mu$
- Selected neutrino events with reconstructed  $\mu$  track and number of  $\pi$ : CC1 $\mu$ 0 $\pi$ , CC1 $\mu$ 1 $\pi$ , CC1 $\pi$

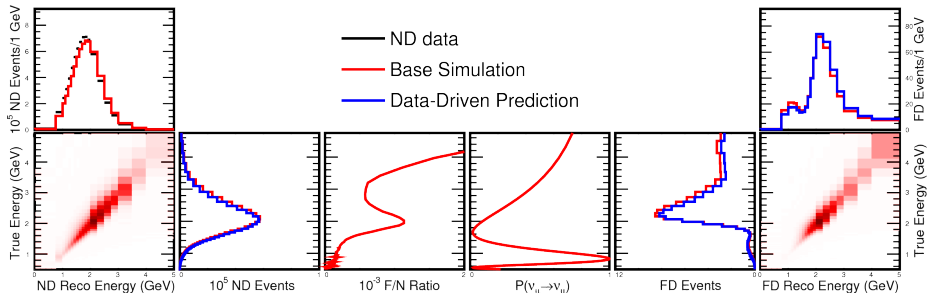


## Super-Kamiokande

- 50kt water Cherenkov detector
- Excellent  $\mu/e$ -like Cherenkov rings separation ( $\nu_\mu$  vs  $\nu_e$  CC interactions)
- Reconstruction from lepton kinematics

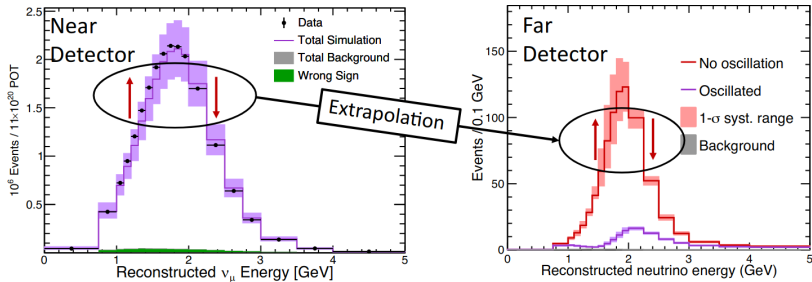
# NOvA analysis strategy

- ND sees the neutrino spectrum as a combination of **neutrino flux** from NuMI, **CC cross sections**, **detector acceptance** and **selection efficiency**
- The ND measured spectra are used to correct FD MC oscillated predictions using the **Far/Near (F/N)** transformation
- Due to functional similarity of both detectors, this procedure largely cancels detector correlated uncertainties ( $\nu$  flux and cross sections)



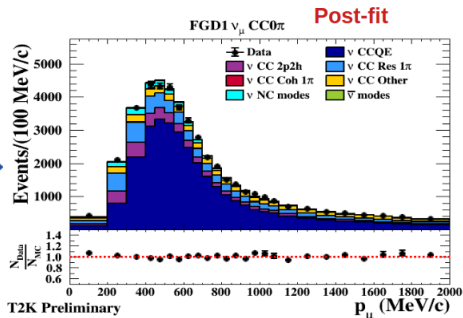
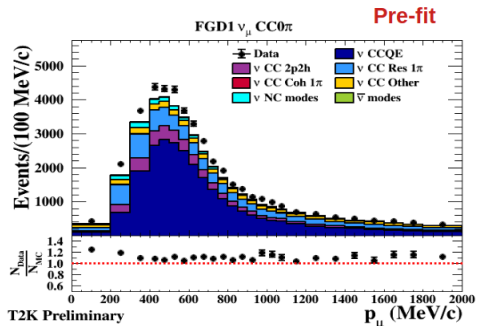
# NOvA analysis strategy

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# T2K analysis strategy

- Fit to ND280 data move the model parameters from their -pre-fit values and also **constrain them**
- This data fit might be **sequential** (ND fit  $\rightarrow$  constrained model  $\rightarrow$  FD fit) or **simultaneous** (ND+FD data simultaneous fit)



# NOvA vs T2K Comparison

Experiment	NOvA	T2K
Country	USA	Japan
Laboratory	Fermilab	KEK, J-PARC
Started	2014	2010
Baseline	810 km	295 km
$\nu$ energy peak	2 GeV	0.6 GeV
Off angle	$0.84^\circ$ / 14.6 mrad	$2.5^\circ$ / 43.6 mrad
$\nu$ Source	120 GeV protons, max 760 kW	30 GeV protons, max 515 kW
$\nu + \bar{\nu}$ POT 2020	$(1.36 + 1.25) \times 10^{21}$	$(1.97 + 1.63) \times 10^{21}$
Near Detector	<b>NOvA ND</b> liquid scintillator tracking calorimeter NO MAGNET	<b>ND280</b> TPC trackers targets of pl. scintillator or water magnetized to distinguish $\nu_\mu/\bar{\nu}_\mu$
Far Detector	<b>NOvA FD</b> 14 kt liquid scintillator tracking calorimeter	<b>SuperK</b> 50 (22.5) kt water Cherenkov 13k (11k) PMTs
$\nu$ interactions	QE, 2p2h, RES, DIS mix	Mostly QE, 2p2h and RES bkg
Near-to-far	Direct correction of FD MC based on the ND data (F/N trans.)	Fit to ND data which constrains the interaction and flux parameters
Energy estimator	Lepton and hadronic calorimetry	Lepton kinematics (elastic)



# T2K+NOvA models and systematics

What? When? How much? ... to correlate common physics parameters between the two experiments?

## FLUX MODEL

- Different energies
- Different external data tuning
- Different treatment in the analysis



No significant  
correlations between  
the experiments

## DETECTOR MODEL

- Different detector designs and technologies
- Different selections
  - Inclusive vs exclusive outgoing  $\pi$
- Different reconstruction techniques
  - Calorimetry vs lepton kinematics



No significant  
correlations between  
the experiments

## CROSS- SECTION MODEL

- Expecting correlations from common physics
- Different interaction models and generators
  - Optimized for different energies
- Systematics designed for individual models and analysis approaches



Investigate the impact  
of correlations in the  
joint analysis

# T2K+NOvA checks on impact of correlations

## Strategy

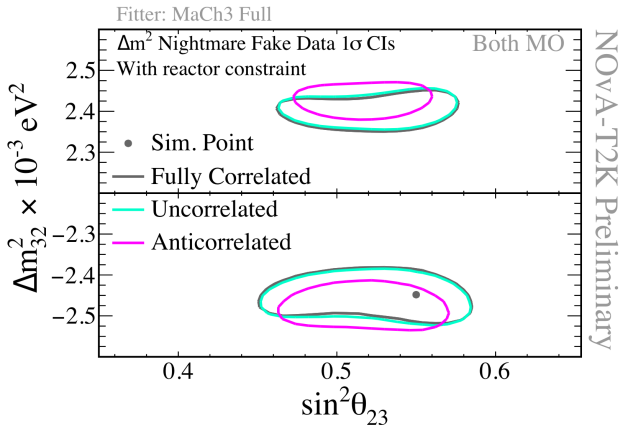
- Study parameters and their inter-experimental correlations with a significant impact on the parameters of interest  $\delta_{CP}$ ,  $\sin^2 \theta_{23}$ ,  $\Delta m_{32}^2$

**Fully correlating  $\nu_\mu/\nu_e$  and  $\bar{\nu}_\mu/\bar{\nu}_e$  cross-section uncertainties, treatment is identical (large  $\delta_{CP}$  impact)**

**Otherwise, no direct mapping of the systematic parameters between the experiments**

- Fabricated, simulated and studied a fully correlated bias for  $\Delta m_{32}^2$  or  $\sin^2 \theta_{23}$
- Impact of correlations merits further investigation for future analyses with increased statistics**
- Given current (2020) statistics, the overall sensitivity gains from correctly correlating systematics would be small, while incorrectly correlating leads to bias

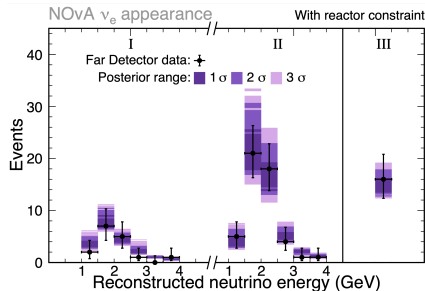
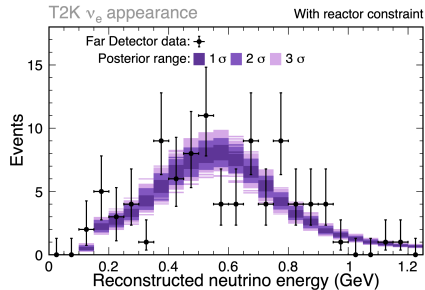
One example of a study to assess the importance of inter-experimental correlations



# Goodness of fit, compatibility of datasets

- Joint analysis uses data collected by each experiment until 2020  
 $\text{NOvA: } 1.36 (\nu) + 1.25 (\bar{\nu}) \times 10^{21} \text{ POT}$   
 $\text{T2K: } 1.97 (\nu) + 1.63 (\bar{\nu}) \times 10^{21} \text{ POT}$
- Using posterior predictive p-values (PPP) to assess the goodness of fit (good PPP is around 0.5)
- The data from both experiments is described well by the joint fit

Channel	NOvA	T2K	Total
$\nu_e$	82	$94_{(\nu_e)}$ $14_{(\nu_e 1\pi)}$	190
$\bar{\nu}_e$	33	16	49
$\nu_\mu$	211	318	529
$\bar{\nu}_\mu$	105	137	242



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Channel	NOvA	P-value	
		T2K	Combined
$\nu_e$	0.90	$0.19_{(\nu_e)}$ $0.79_{(\nu_e 1\pi)}$	<b>0.62</b>
$\bar{\nu}_e$	0.21	0.67	<b>0.40</b>
$\nu_\mu$	0.68	0.48	<b>0.62</b>
$\bar{\nu}_\mu$	0.38	0.87	<b>0.72</b>
All	0.64	0.72	<b>0.75</b>

